Direct Proportion and the unitary method

Direct
Proportion

Quantities are in direct proportion when the pair of values increase or decrease but the ratio remains the same
A loaf of bread costs $£ 1.15$. The ratio is $1: 1.15$
If we buy 10 loaves of bread the cost changes but the ratio remains the
same.

| Loaves | Cost $£$ | Ratio of number of loaves to cost |  |
| :--- | :---: | :--- | :--- |
| 1 | 1.15 | $\frac{1.15}{1}$ | $1: 1.15$ |
| 2 | 2.30 | $\frac{2.30}{2}$ | $1: 1.15$ |
| 3 | 3.45 | $\frac{3.45}{3}$ | $1: 1.15$ |
| 5 | 5.75 | $\frac{5.75}{5}$ | $1: 1.15$ |
| 10 | 11.50 | $\frac{11.50}{10}$ | $1: 1.15$ |

You can calculate a missing amount when two quantities are in direct proportion with one another by using the 'unitary method'.

## The Rules

1. Find the unit value (divide the amount by the number of units)
2. Multiply the unit value by the number of units you're finding a value for.

## Example

Florence buys 2 L petrol. It costs her $£ 2.10$. How much would 6 L cost?

For the calculation you need to identify:
Amount £6.60

Number of units $2(2 \mathrm{~L})$
Number of units finding a 6 (6L)
value for

## Rule

1. Find the unit value

The amount $\div$ the number of units
£2.10 $\div 2 \mathrm{~L}=£ 1.05$
The unit value is $£ 1.05$
2. Multiply the unit value by the number of units

Unit value $X$ number of units finding a value for
£1.05 X 6L = £6.30
6 L of petrol would cost $£ 6.30$

